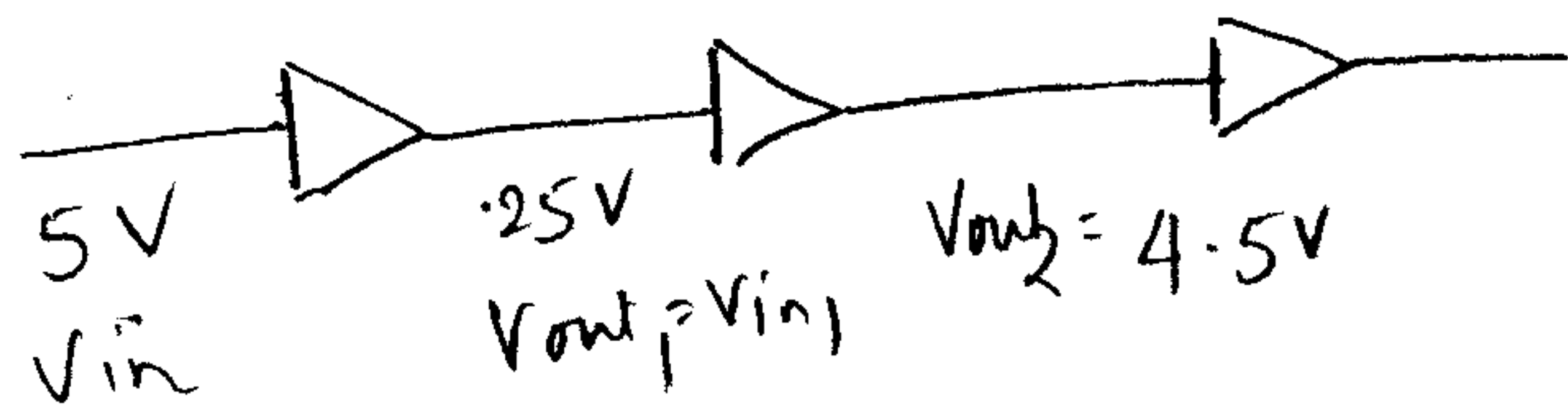


Ans 1: (a) Yes this logic can be safely used to implement all Boolean functions. From the transfer function, given $V_{in} = V_{DD} = 5V$ and $V_{in} = 0V$ we can get $V_{out} = 2.5V$ and $V_{out} = 4.75V$ which can be safely classified as logic-0 and logic-1. Thus safe implementation upto three levels of logic are possible.

(b) No, this logic can't be safely and efficiently used to implement all Boolean functions. Take an inverter chain:



There is a decrease in voltage and at one point, the voltage will go to $2.5V$ & after that there is no voltage restoration. $2.5V$ can't be classified as either logic-1 or logic-0.

Ans 2: $f(a, b, c, d) = \sum (0, 4, 5, 6, 7, 11, 12, 14, 15) + d(2, 3, 13)$

cd \ ab	00	01	11	10
00	1	1	1	1
01		1	X	
11	X	1	1	1
10	X	1	1	

- ① b
- ② cd
- ③ $\bar{a}\bar{d}$

$$f(a, b, c, d) = (b + cd + \bar{a}\bar{d})$$

$$3. f(a, b, c) = \sum(1, 2, 4, 5) + d(3)$$

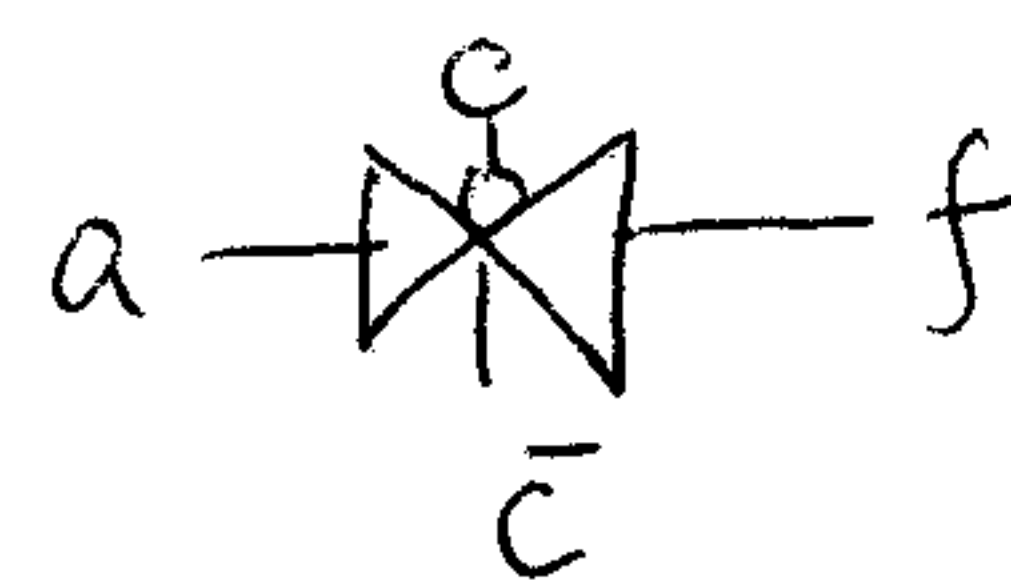
	001	0x1		0x1	x01	01x	10x
$\Sigma=1$	010	x01	001	✓	✓		
	100	01x	010			✓	
	<hr/>	10x	100				✓
$\Sigma=2$	011		101		✓		✓
	101						

$$f(a, b, c) = \bar{b}c + \bar{a}b + a\bar{b}$$

$$\text{OR} = \bar{a}c + \bar{a}b + a\bar{b}$$

5. No, by comparing the truth table of Transmission Gate and 2-input NAND GATE, we can find that NAND does not

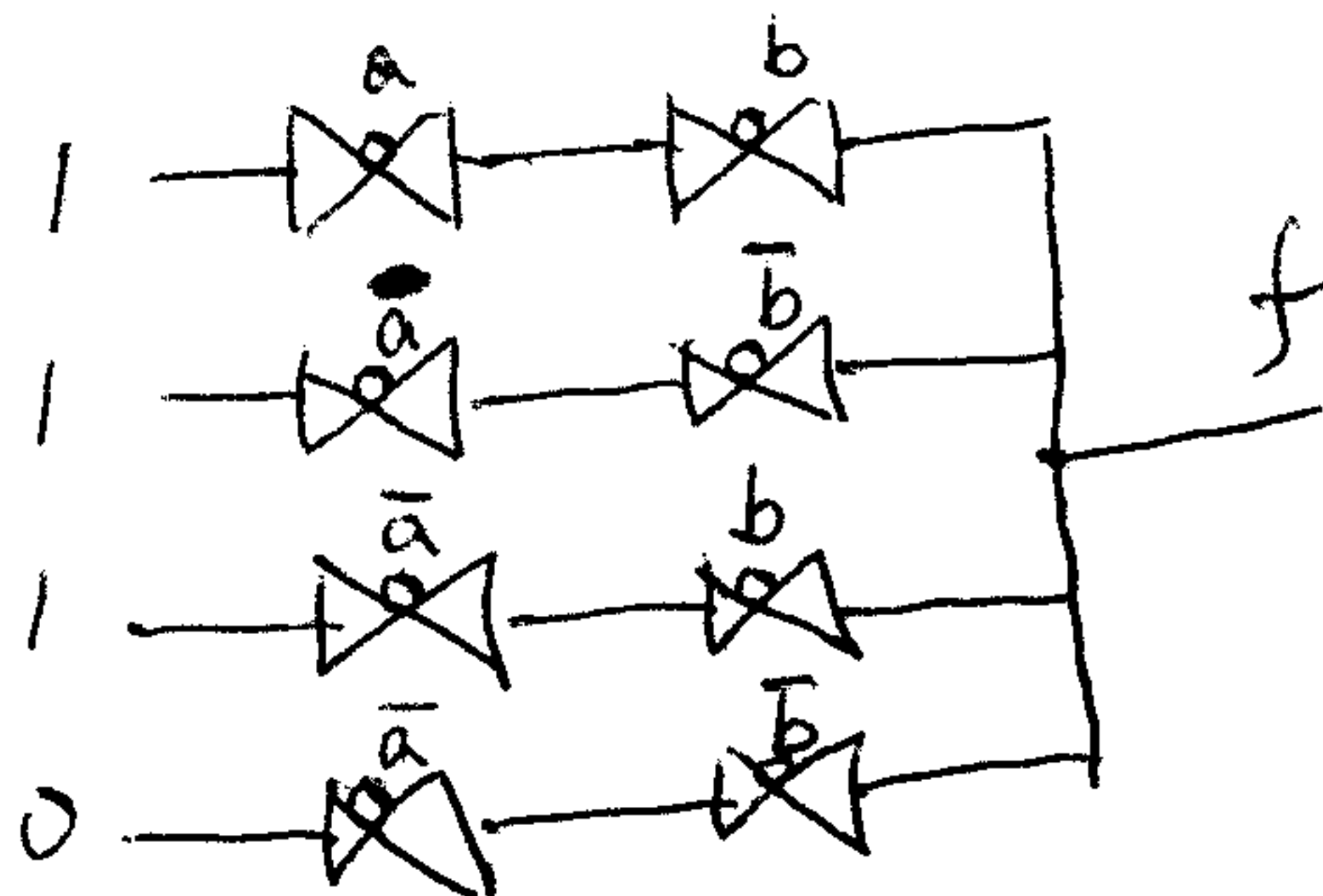
a	b	f	a	c	f
0	0	1	0	0	0
0	1	1	0	1	High-Z
1	0	1	1	0	1
1	1	0	1	1	High Z.



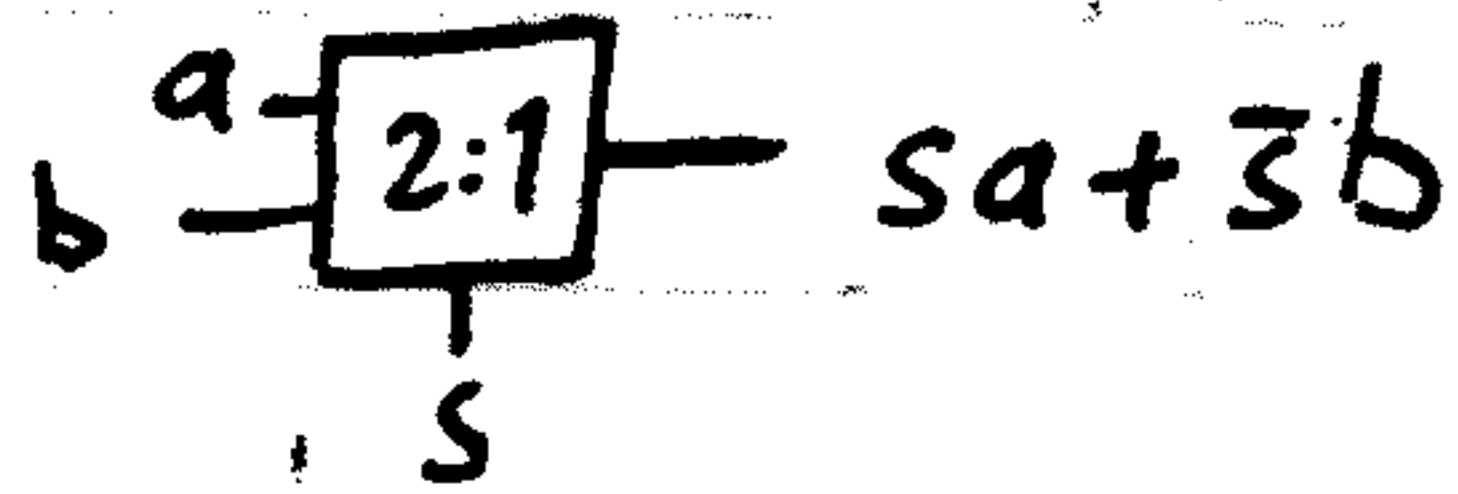
have High-Z, which is necessary for TG.



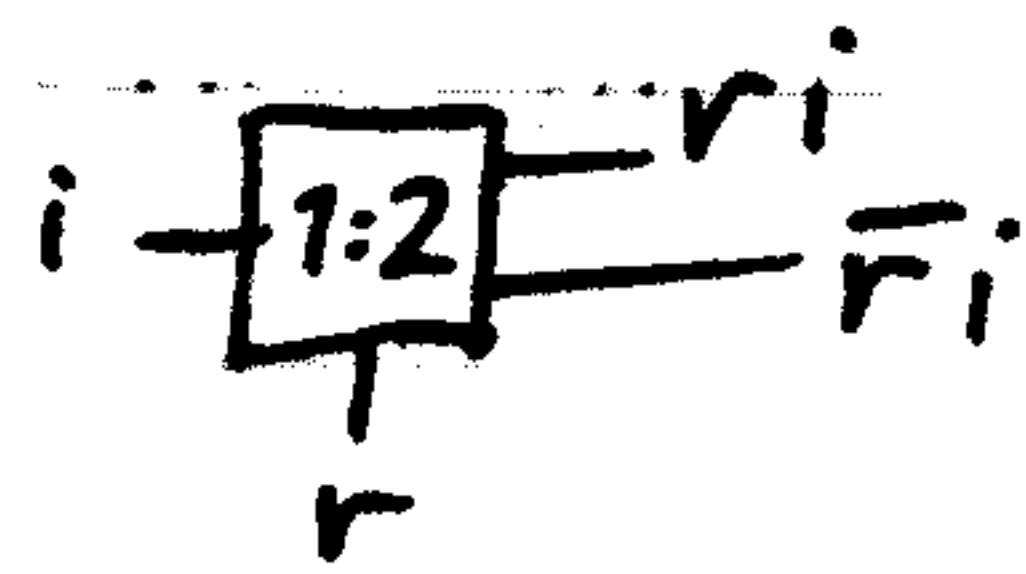
6. Yes.



4) For 2:1 MUX

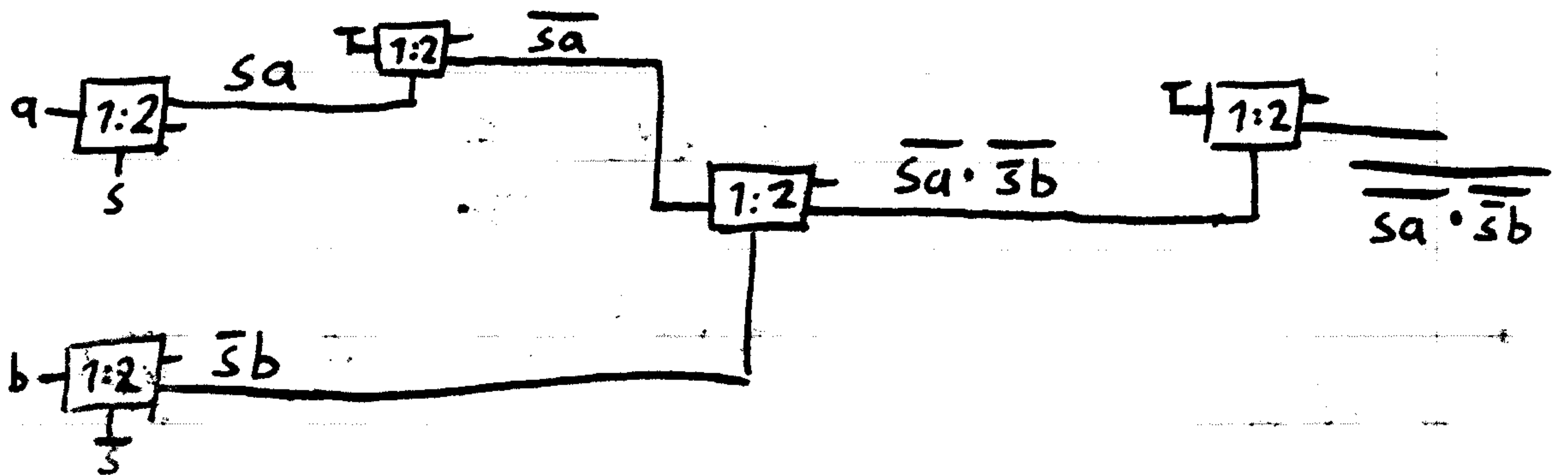


Can use 1:2 DMUX only



Building blocks: r_i, \bar{r}_i

$$f = sa + \bar{s}b = \overline{\overline{sa + \bar{s}b}} = \overline{\overline{sa} \cdot \overline{\bar{s}b}}$$

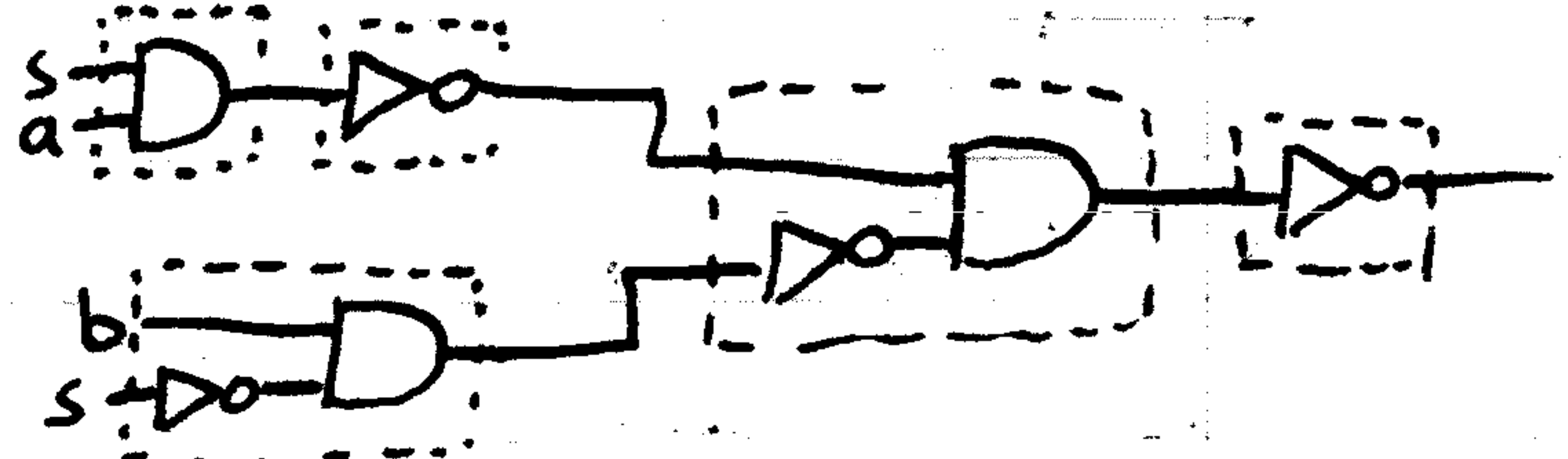


Could also view problem this way:

$$p \begin{matrix} \text{---} \\ | \\ \text{---} \end{matrix} \begin{matrix} \text{---} \\ | \\ \text{---} \end{matrix} f \equiv \frac{p}{q} \text{---} \text{D} \text{---} f$$

$$\begin{matrix} \text{---} \\ | \\ \text{---} \end{matrix} \begin{matrix} \text{---} \\ | \\ \text{---} \end{matrix} f \equiv p \text{---} \text{D} \text{---} f$$

$$p \begin{matrix} \text{---} \\ | \\ \text{---} \end{matrix} \begin{matrix} \text{---} \\ | \\ \text{---} \end{matrix} f \equiv q \text{---} \text{D} \text{---} f$$



7)

